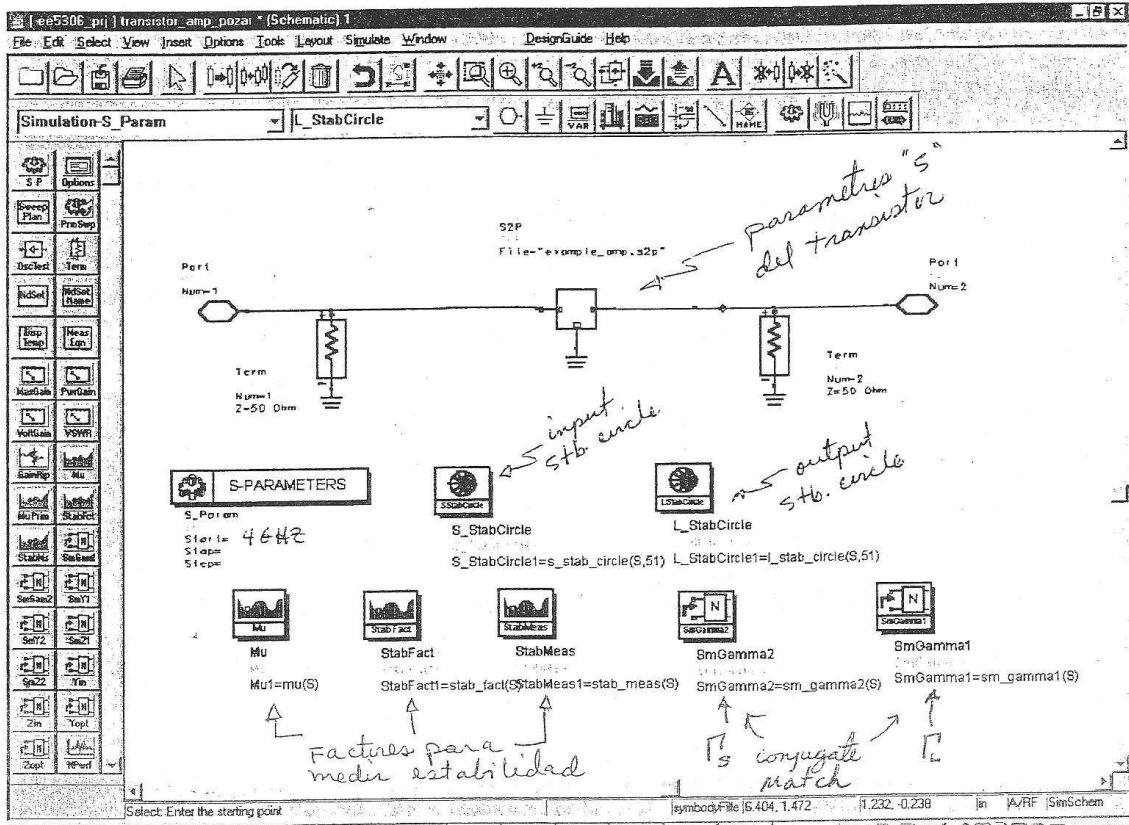


# Microondas

```

!
# GHz S MA R 50
!f GHz S11 S21 S12 S22
! MAG ANG MAG ANG MAG ANG MAG ANG
3 0 0.8 89 2.86 99. .03 56 .76 -41
4 0 .72 -116 2.86 76 .03 57 .73 -54
5 0 .66 -142 2.86 54 .03 62 .72 -68
    
```

File: `sample_amp.s2p`  
 debe colocarlo en directorio DATA  
`C:\AMP-PRJ\DATA\`



$$stab\_meas \Rightarrow b = 1 + |S_{11}|^2 - |S_{22}|^2 - |S_{11}S_{22} - S_{12}S_{21}|^2$$

$$stab\_Fact \Rightarrow K \quad (a) \quad \text{Si } K > 1 \text{ y } b \geq 0$$

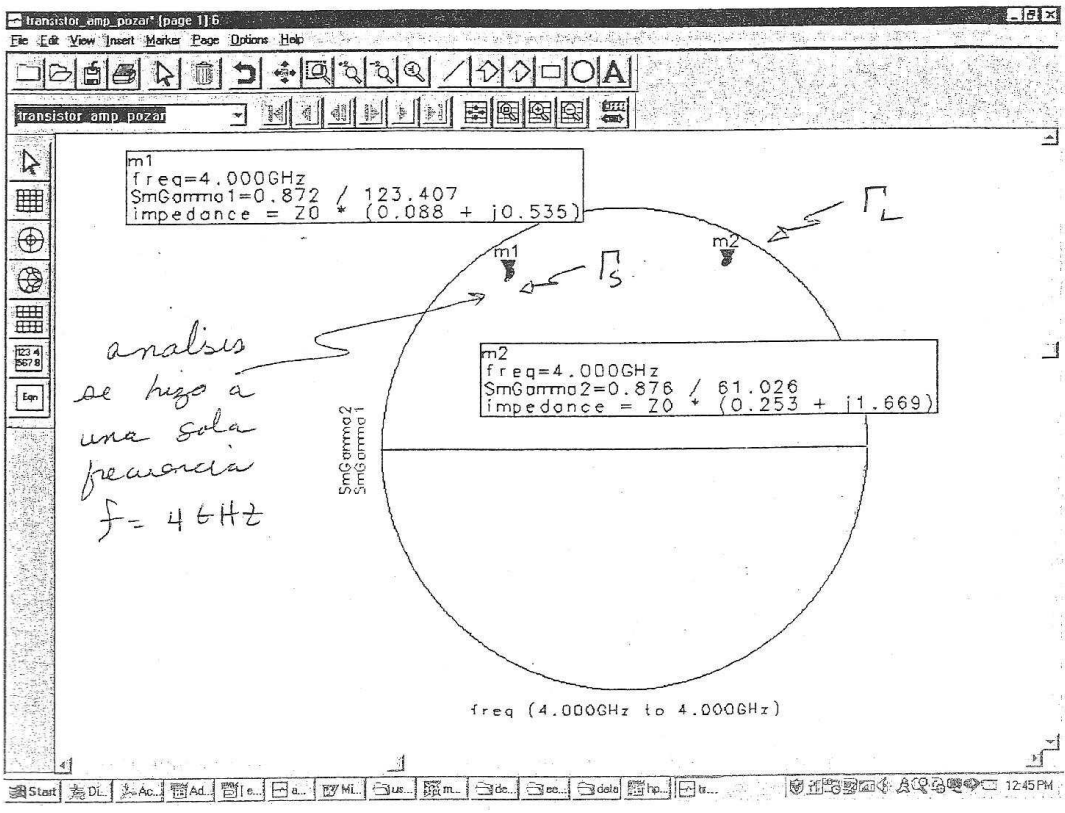
∴ estabilidad sin condición

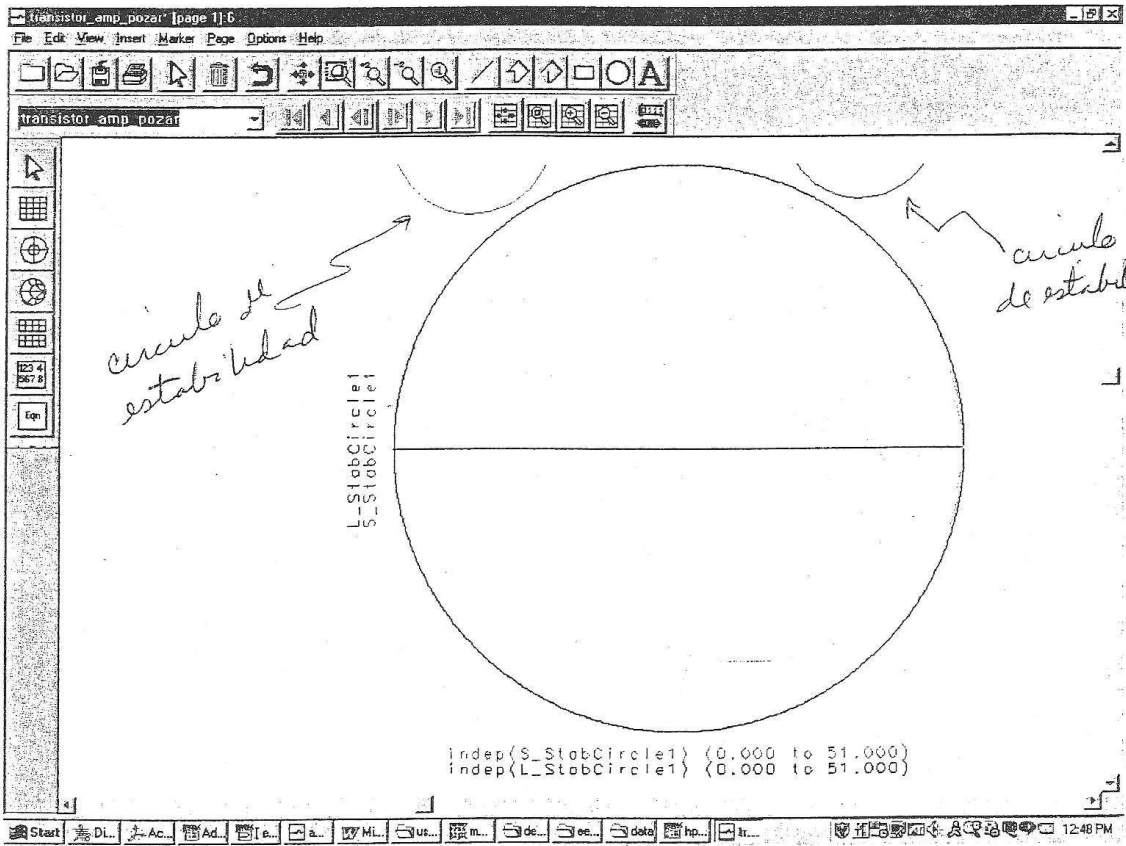
(b)  $\mu \Rightarrow \mu > 1$   
 ∴ estabilidad sin condición

for conjugate match

freq	Mu1	StabFact1	StabMeas1	SmGamma1	SmGamma2
4.000GHz	1.040	1.195	0.748	0.872 / 123.407	0.876 / 61.026

$\mu > 1$        $k > 1$        $b > 0$        $\Gamma_s$        $\Gamma_L$





notar q. ambos circulos estan fuera del Smith Chart.  $\therefore$  estabilidad sin condicion para  $S_{11} < 1$  y  $S_{22} < 1$

designar "matching Network"

# The Complete Smith Chart

Black Magic Design

Truco!

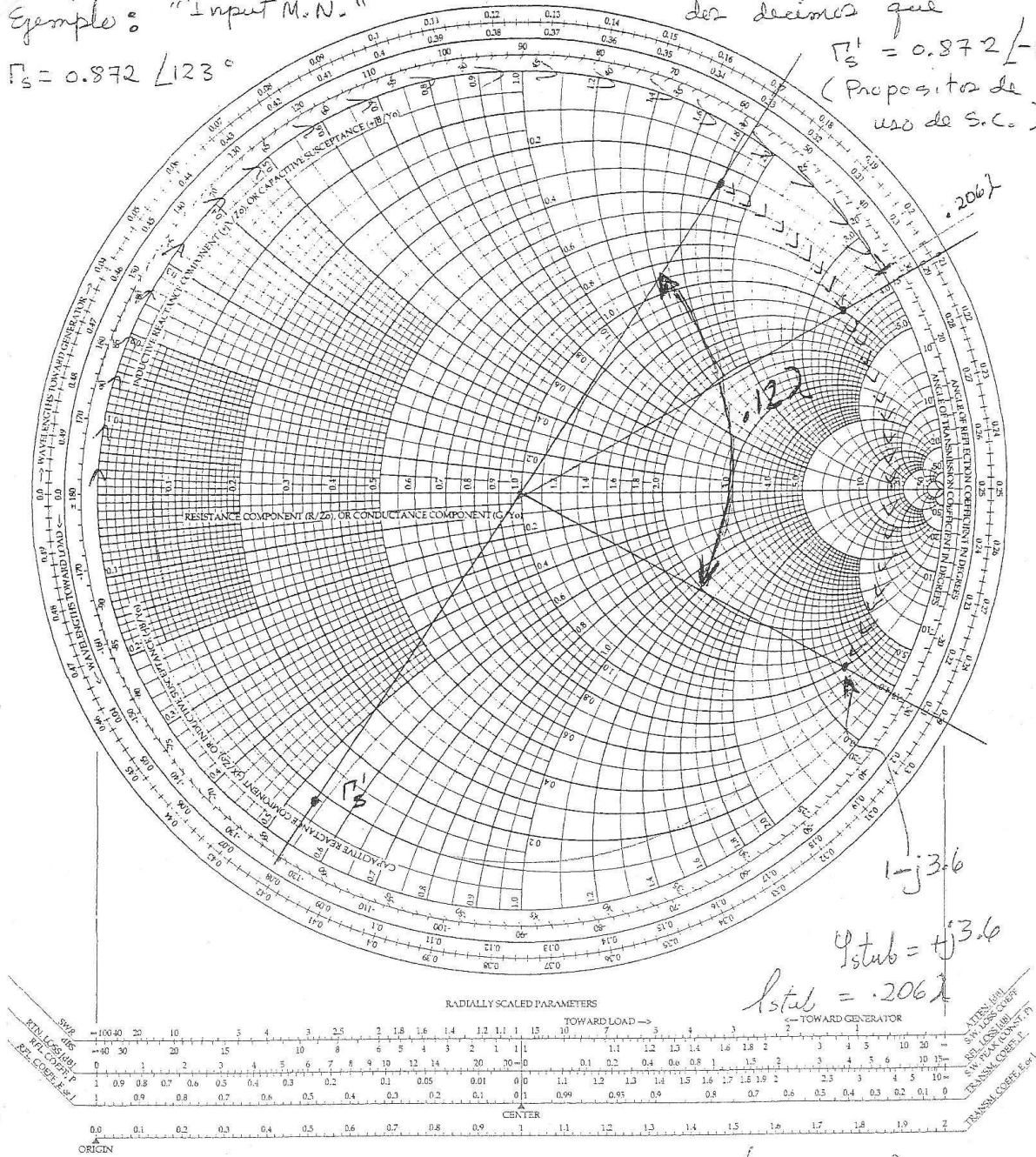
Para usar S.C. como estamos acostumbrados de decimos que

Example: "Input M.N."

$$\Gamma_s = 0.872 \angle 123^\circ$$

$$\Gamma_s = 0.872 \angle -12^\circ$$

(Proposito de uso de S.C.)



$$d_{min} = 0.12\lambda$$

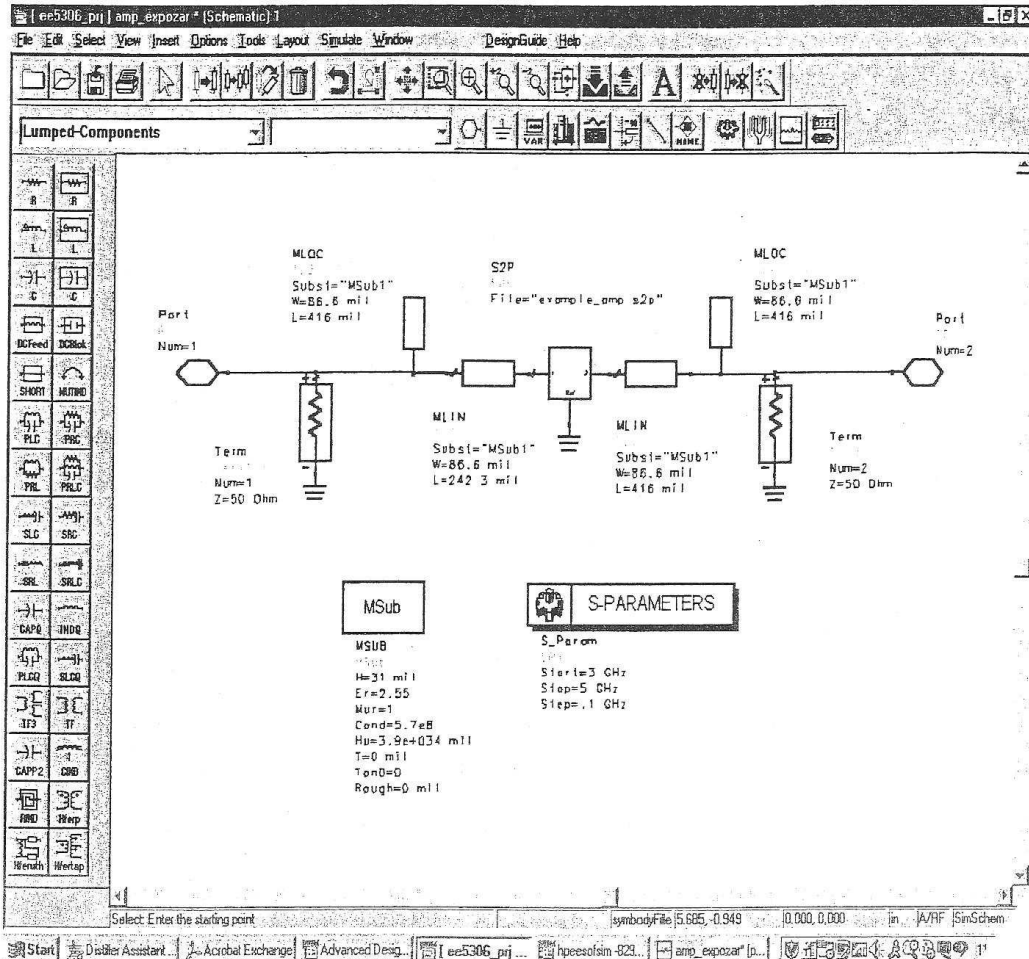
Use LineCalc para determinar dimensiones de líneas de microcenta.

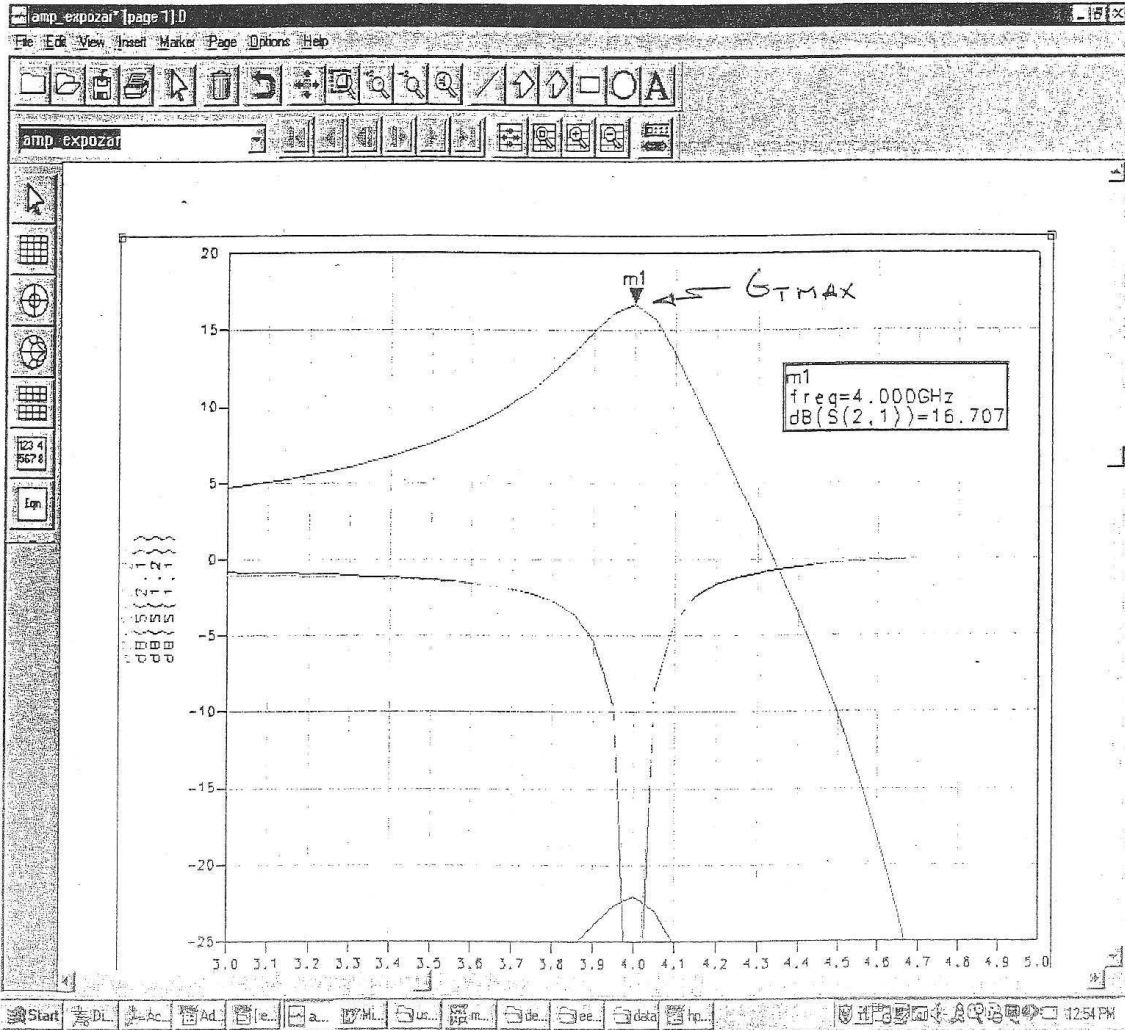
The screenshot shows the LineCalc software interface with the following data:

- Component:** Type: MLIN, ID: MLIN: MLIN\_DEFAULT
- Substrate Parameters:**
  - ID: MSUB\_DEFAULT
  - Er: 2.550
  - Mur: 1.000
  - H: 31.000 mil
  - Hu: 3.9e+34 mil
  - T: 0.000 mil
  - Cond: 5.8e7
  - TenD: 0.000
  - Rough: 0.000
- Physical:**
  - W: 86.888976 mil
  - L: 242.330708 mil
- Electrical:**
  - Z0: 50.000 Ohm
  - E\_eff: 43.200 deg
- Calculated Results:**
  - K\_eff = 2.135
  - A\_DB = 0.000
  - SkinDepth = 0.041 mil
- Component Parameters:**
  - Freq: 4.000 GHz
  - Wall1: mil
  - Wall2: mil

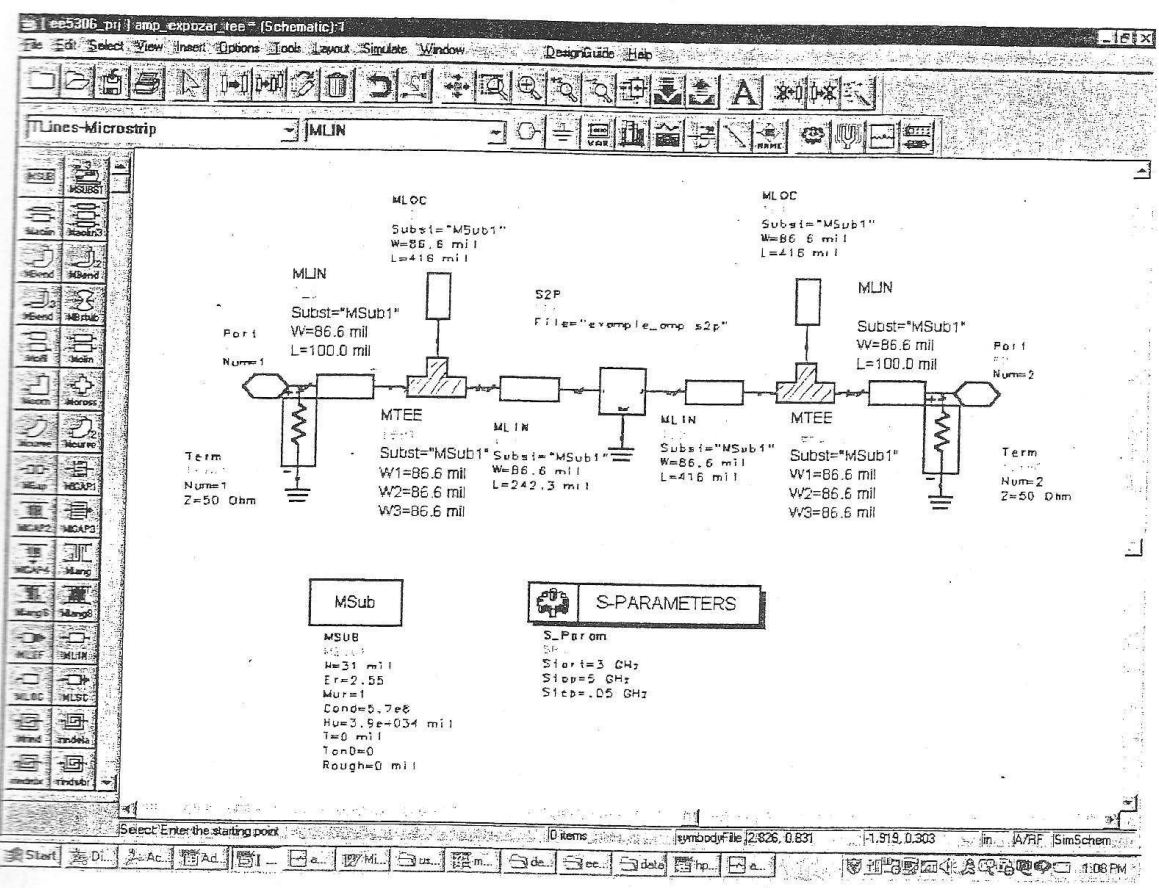
Values are consistent

por ejemplo:  $0.1202 = \theta = 0.120(360) = 43.2^\circ$   
 para líneas de 50Ω y  $\theta = 43.2$   
 $w = 86.9 \text{ mils}$      $l = 242.3 \text{ mils}$   
 Asumir  $\epsilon_r = 2.55$      $h = 31 \text{ mils}$      $F = 4 \text{ GHz}$





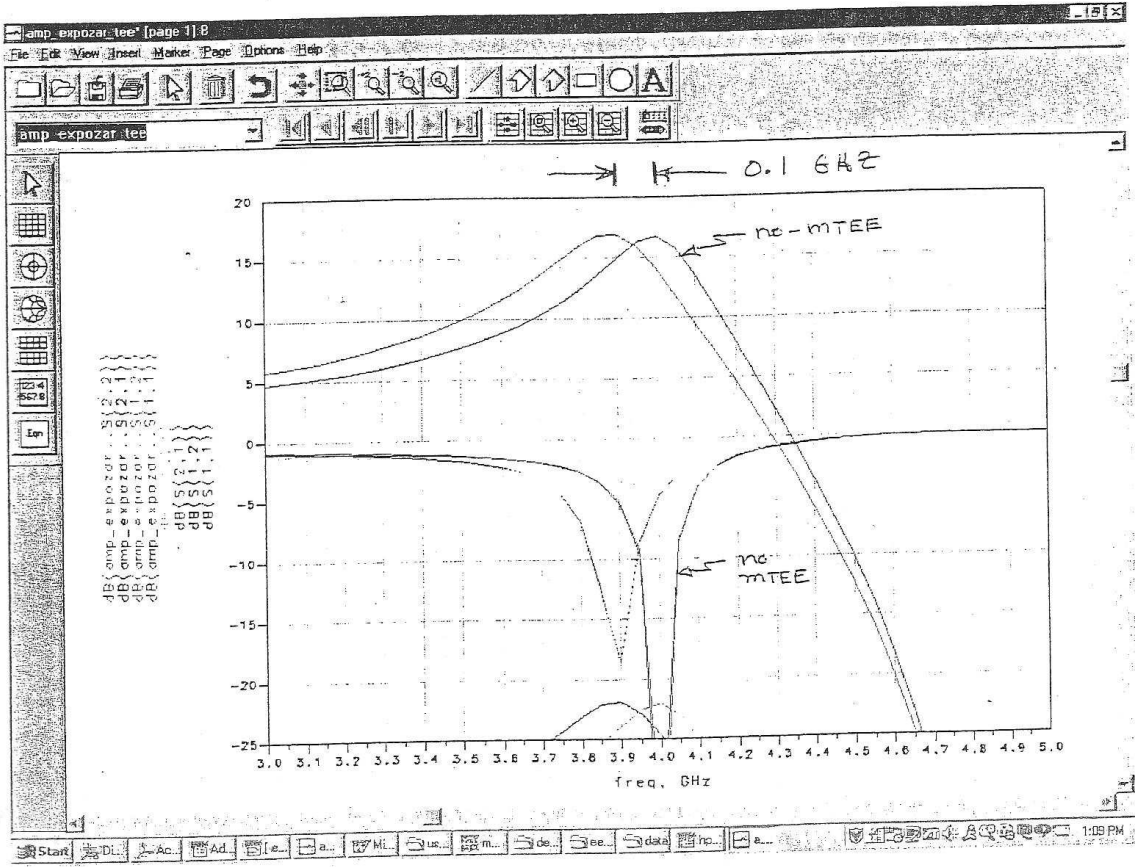
8





Resultados de amplificadora con MTEE  
Desplazamiento en frecuencia de 0.1 GHz

9



en general

$$G_T = \frac{1 - |\Gamma_S|^2}{|1 - \Gamma_S \Gamma_{in}|^2} |S_{21}|^2 \frac{1 - |\Gamma_L|^2}{|1 - S_{22} \Gamma_L|^2}$$

$$\Gamma_{in} = S_{11} + \frac{S_{12} S_{21} \Gamma_L}{1 - S_{22} \Gamma_L}$$

$$\Gamma_{out} = S_{22} + \frac{S_{12} S_{21} \Gamma_S}{1 - S_{11} \Gamma_S}$$

Diseño para Ganancia Específica:

$$G_T = G_S \quad G_o \quad G_L$$

↙ ↘

$$\frac{1 - |\Gamma_S|^2}{|1 - \Gamma_{in} \Gamma_S|^2} \xrightarrow{\text{controla con "matching networks"}} \frac{1 - |\Gamma_L|^2}{|1 - S_{22} \Gamma_L|^2}$$

Caso unilateral:  
( $S_{12} = 0$ )

$$\Gamma_{in} = S_{11} \quad \Gamma_{out} = S_{22}$$

(Notar que si  $S_{11}$  y  $S_{22}$  son  $< 1$ , esta condición es suficiente para estabilidad sin condición en caso unilateral)

Ganancia máxima:  $\Gamma_S = \Gamma_{in}^* = S_{11}^*$   
 $\Gamma_L = S_{22}^*$

caso unilateral ( $S_{12} = 0$ )

$$G_{TU} = \frac{|S_{21}|^2 (1 - |\Gamma_S|^2) (1 - |\Gamma_L|^2)}{|1 - S_{11} \Gamma_S|^2 |1 - S_{22} \Gamma_L|^2}$$

$$G_{SU} = \frac{1 - |\Gamma_S|^2}{|1 - S_{11} \Gamma_S|^2}$$

$$G_{LU} = \frac{1 - |\Gamma_L|^2}{|1 - S_{22} \Gamma_L|^2}$$

Si  $S_{12} \neq 0$  todavía puedo asumir caso unilateral despreciando  $S_{12}$ . Necesito medida del error.

$$\frac{1}{(1+U)^2} < \frac{G_T}{G_{TU}} < \frac{1}{(1-U)^2}$$

donde  $U = \frac{|S_{12}| |S_{21}| |S_{11}| |S_{22}|}{(1 - |S_{11}|)^2 (1 - |S_{22}|)^2} \Rightarrow$  Figura de mérito

Ejemplo:

$$S_{11} = 0.6 \angle -60^\circ \quad S_{21} = 1.9 \angle 81^\circ$$

$$S_{12} = 0.05 \angle 26^\circ \quad S_{22} = 0.5 \angle -60^\circ$$

$$0.891 < \frac{G_T}{G_{TU}} < 1.130$$

$$-0.5 < G_T - G_{TU} < 0.53 \text{ dB}$$

Puedo asumir caso unilateral si el error es una fracción de 1 dB.

est: tengo en  $G_{TU}$ ;  $\Gamma_S = S_{11}^*$  y  $\Gamma_L = S_{22}^*$

$$G_{TU \max} = \frac{1 - |S_{11}|^2}{|1 - |S_{11}|^2|^2} |S_{21}|^2 \frac{1 - |S_{22}|^2}{|1 - |S_{22}|^2|^2}$$

$$G_{SU \max} = \frac{1}{1 - |S_{11}|^2}$$

$$G_{LU \max} = \frac{1}{1 - |S_{22}|^2}$$

Definimos:

$$g_s = \frac{G_{su}}{G_{su \max}}$$

$$g_L = \frac{G_{Lu}}{G_{Lu \max}}$$

Resultan familias de curvas en plano de  $\Gamma_S$  y  $\Gamma_L$ . Usar Smith Chart.

$$C_s = \frac{g_s S_{11}^*}{1 - (1 - g_s) |S_{11}|^2}$$

$$R_s = \frac{\sqrt{1 - g_s} (1 - |S_{11}|^2)}{1 - (1 - g_s) |S_{11}|^2}$$

$$C_L = \frac{g_L S_{22}^*}{1 - (1 - g_L) |S_{22}|^2}$$

$$R_L = \frac{\sqrt{1 - g_L} (1 - |S_{22}|^2)}{1 - (1 - g_L) |S_{22}|^2}$$

Libro:

Para  $f = 4$  GHz,

$$S_{11} = 0.75 \angle -120^\circ$$

$$S_{21} = 2.8 \angle 100^\circ$$

$$S_{12} = 0$$

$$S_{22} = 0.6 \angle -70^\circ$$

$$G_{s \max} = \frac{1}{1 - |S_{11}|^2} = 2.29 = 3.6 \text{ dB}$$

$$G_{L \max} = \frac{1}{1 - |S_{22}|^2} = 1.56 = 1.9 \text{ dB}$$

The gain of the mismatched transistor is

$$G_o = |S_{21}|^2 = 6.25 = 8.0 \text{ dB},$$

so the maximum unilateral transducer gain is

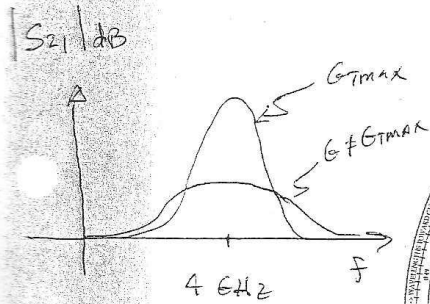
$$G_{TU_{max}} = 3.6 + 1.9 + 8.0 = 13.5 \text{ dB}.$$

Thus we have 2.5 dB more available gain than is required by the specifications.

We use (11.48), (11.51), and (11.52) to calculate the following data for the constant gain circles:

$g_s = \frac{G_{Su}}{G_{Su_{max}}} = \frac{2}{2.29} = 0.875$	$G_S = 3 \text{ dB}$	$g_S = 0.875$	$C_S = 0.706 \angle 120^\circ$	$R_S = 0.166$
	$G_S = 2 \text{ dB}$	$g_S = 0.691$	$C_S = 0.627 \angle 120^\circ$	$R_S = 0.294$
	$G_L = 1 \text{ dB}$	$g_L = 0.806$	$C_L = 0.520 \angle 70^\circ$	$R_L = 0.303$
	$G_L = 0 \text{ dB}$	$g_L = 0.640$	$C_L = 0.440 \angle 70^\circ$	$R_L = 0.440$

The constant gain circles are shown in Figure 11.8a. We choose  $G_S = 2 \text{ dB}$  and  $G_L = 1 \text{ dB}$ , for an overall amplifier gain of 11 dB. Then we select  $\Gamma_S$  and  $\Gamma_L$ .



- Aumentar ancho de banda  
 - Se degrada  $S_{11}$  y  $S_{22}$

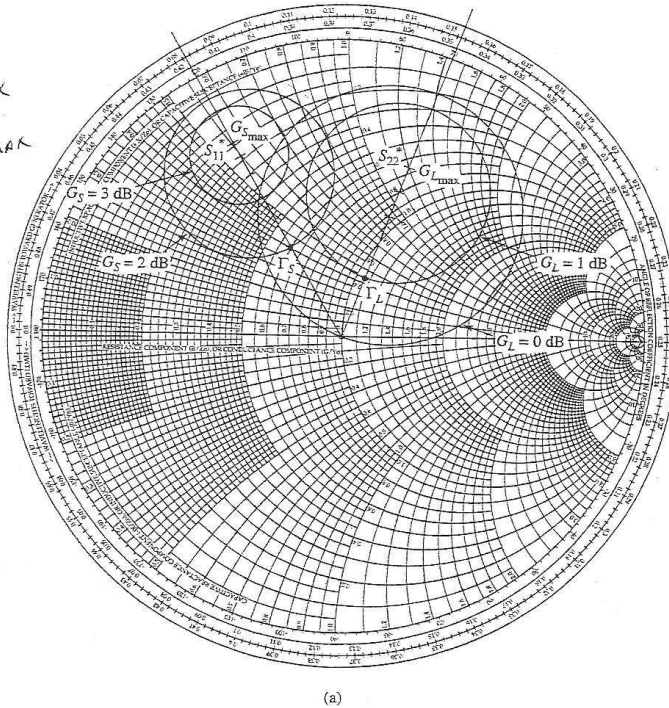
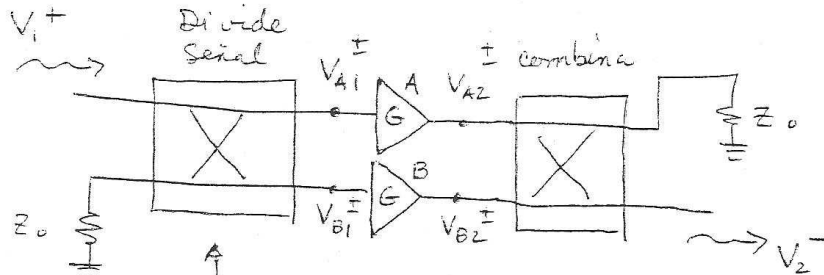
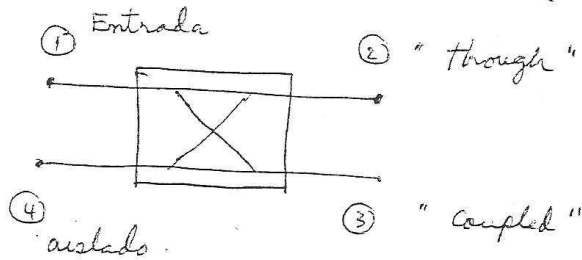


FIGURE 11.8 Circuit design and frequency response for the transistor amplifier of Example 11.1. (a) Constant gain circles.

Amplificador balanceado - puede lograr  $\frac{4}{1}$   
 buen ancho de banda sin sacrificar  $S_{11}$  o  $S_{22}$ .



híbrido de cuadratura ( $3\text{dB}$  y  $90^\circ$ )



$$[S] = \frac{1}{\sqrt{2}} \begin{bmatrix} 0 & 1 & -j & 0 \\ 1 & 0 & 0 & j \\ -j & 0 & 0 & 1 \\ 0 & -j & 1 & 0 \end{bmatrix} \begin{array}{l} = \text{"branch line coupler"} \\ - \text{"coupled"} \\ - \text{"lange coupler"} \\ - \text{"Wilkinson Divider"} \end{array}$$

$$V_{A1}^+ = \frac{1}{\sqrt{2}} V_1^+ \quad V_{B1}^+ = \frac{-j}{\sqrt{2}} V_1^+$$

$$V_2^- = \frac{-j}{\sqrt{2}} V_{A2}^+ + \frac{1}{\sqrt{2}} V_{B2}^+$$

pero  $V_{A2}^+ = G_A V_{A1}^+ \quad V_{B2}^+ = G_B V_{B1}^+$

$$V_2^- = \frac{-j}{\sqrt{2}} \left( G_A \frac{1}{\sqrt{2}} V_1^+ \right) + \frac{1}{\sqrt{2}} G_B \left( \frac{-j}{\sqrt{2}} V_1^+ \right)$$

$$V_2^- = \frac{-j}{2} V_1^+ (G_A + G_B)$$

$$S_{21} = \frac{V_2^-}{V_1^+} = \frac{-j}{2} (G_A + G_B)$$

$$V_1^- = \frac{1}{\sqrt{2}} V_{A1}^- + \frac{-j}{\sqrt{2}} V_{B1}^- \quad \frac{V_{A1}^-}{V_{A1}^+} = \Gamma_A$$

$$V_1^- = \frac{1}{\sqrt{2}} (\Gamma_A V_{A1}^+) + \frac{-j}{\sqrt{2}} (\Gamma_B V_{B1}^+) \quad \frac{V_{B1}^-}{V_{B1}^+} = \Gamma_B$$

$$= \frac{1}{\sqrt{2}} \Gamma_A \left( \frac{1}{\sqrt{2}} V_1^+ \right) + \frac{-j}{\sqrt{2}} \Gamma_B \left( \frac{-j}{\sqrt{2}} V_1^+ \right) = \frac{1}{2} V_1^+ (\Gamma_A - \Gamma_B)$$

$$S_{11} = \frac{V_1^-}{V_1^+} = \frac{1}{2} (\Gamma_A - \Gamma_B) \quad (S_{11} = 0 \text{ si } \Gamma_A = \Gamma_B)$$

son idénticas

- Ancho de banda limitado por "coupler"
- Si falla un amplificador, todavía hay ganancia.
- desventajas: tamaño, consume más potencia, dos transistores.

