## Exam \#1 $\rightarrow$ Tuesday Aug. 10, 2019 @ 7:00pm

Concepts Chapter \#1:

- Current/Charge Relationship
- Power/Energy/Current/Voltage Relationships
- Conservation of Energy

Concepts Chapter \#2:

- Ohm's Law (passive sign convention)
- Kirchhoff's Current Law (KCL)
- Kirchhoff's Voltage Law (KVL)
- Voltage/Current Divider
- Equivalent Resistance
- Wye/Delta Transformations
- Solving Circuits


## Exam \#1 $\rightarrow$ Tuesday Aug. 10, 2019 @ 7:00pm

## Concepts Chapter \#3:

1) Nodal Analysis

## Location: Chardon 124

- Select node as reference
- \# of Eq. = \# of nodes - 1
- variables $\rightarrow$ voltages
- KCL $\rightarrow$ equations
- voltage source $\rightarrow$ constraint eq. (express in terms of variables)
- voltage source between 2 non-reference nodes $\rightarrow$ supernode

2) Loop Analysis

- \# of Eq. = \# of independent loops
- variables $\rightarrow$ currents (assign a loop current to each independent loop)
- KVL $\rightarrow$ equations
- current source $\rightarrow$ constraint eq. (express in terms of variables)


## Circuits 1

## Last Lecture $\rightarrow$ Mesh Analysis

- $M \rightarrow$ \# of independent loops in a planar circuit
- $M \rightarrow$ \# independent simultaneous equations


## Analysis Procedure

1) Identify \#of equations
2) Stablish current around loops
3) Identify voltage drops according currents
4) Identify current sources / dependent sources
5) Apply KVL to loops
6) Write constraint equation - current sources

7) Write controlling equation - dependent sources
8) Solve equation system

## Additional Analysis Techniques $\rightarrow$ Chapter \#5

- Linearity and Equivalence
- Superposition
- Thevenin Equivalent Circuit
- Norton Equivalent Circuit
- Source Transformation
- Maximum Power Transfer


## Circuits 1

## Circuit Equivalence

An equivalent circuit refers to a theoretical circuit that retains all of the electrical characteristics of a given circuit.


## Circuit Linearity

Requires both additivity and homogeneity (scaling)


$$
\begin{gathered}
\frac{V_{\text {out }}}{V_{0}}=\frac{V_{\text {out }}^{\prime}}{V_{0}^{\prime}} \\
V_{\text {out }}{ }^{\prime}=1 V \rightarrow V_{o}^{\prime}=6 \mathrm{~V} \\
\therefore V_{\text {out }}=V_{0} \cdot \frac{V_{\text {out }}{ }^{\prime}}{V_{0}^{\prime}}=V_{0} \cdot \frac{1}{6}=2 \mathrm{~V}
\end{gathered}
$$

Example 5.1: Find $V_{\text {out }}$... assuming $V_{\text {out }}=1$, find $V_{o}$ and then use linearity to obtain $V_{\text {out }}$ for $V_{o}=12 \mathrm{~V}$.

## Circuits 1

## Superposition

In any linear circuit containing multiple independent sources, the current or voltage at any point in the network may be calculated as the algebraic sum of the individual contributions of each source acting alone.

$$
v_{2}(t)=0
$$


(b)

(a)

$$
i_{1}(t)=\frac{v_{1}(t)}{5 k}-\frac{v_{2}(t)}{15 k}
$$

$$
i_{1}^{\prime}(t)=\frac{v_{1}(t)}{5 k}
$$

$$
i_{1}^{\prime \prime}(t)=-\frac{v_{2}(t)}{15 k}
$$

$$
i_{1}(t)=i_{1}^{\prime}(t)+i_{1}^{\prime \prime}(t)
$$

## Superposition

Each independent source can be applied independently with the remaining source turned off:

- Turn off a voltage source $\rightarrow$ short circuit
- Turn off a current source $\rightarrow$ open circuit

The final solution is the algebraic sum of the independent results!

## Circuits 1

## Problem 2.65

Find $R_{A B}$ in the circuit provided.


## Learning Assessment E2.33

If the power supplied by the 3 A current source is 12 W , find $\mathrm{V}_{\mathrm{s}}$ and the power supplied by the 10 V source.


## Circuits 1

## Problem 2.121

Find $\mathrm{V}_{0}$ in the provided network.


## Circuits 1

## Problem $\rightarrow 3.31$

Find $\mathrm{I}_{0}$ using both nodal and mesh analysis


## Circuits 1

## Problem $\rightarrow 3.310$

Find $\mathrm{V}_{0}$ using both nodal and mesh analysis


