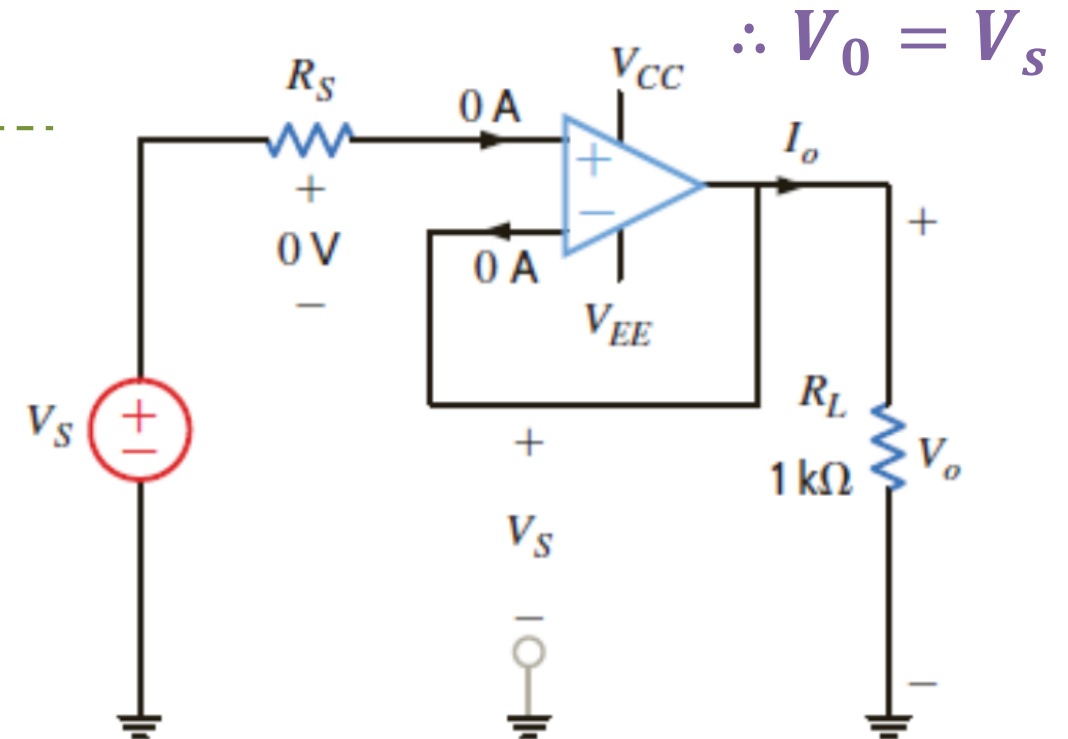
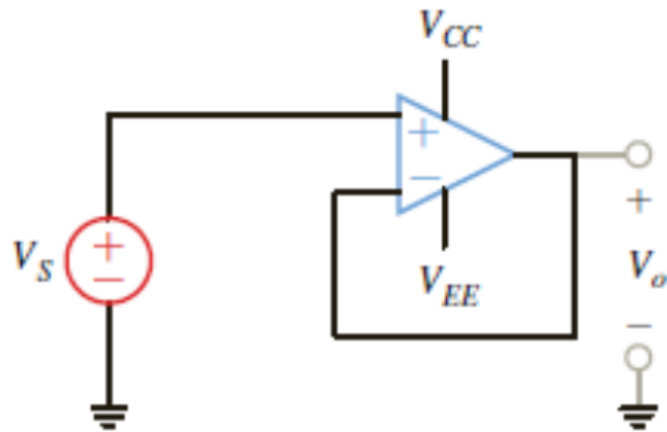


# Ideal Op-Amp Circuit Analysis

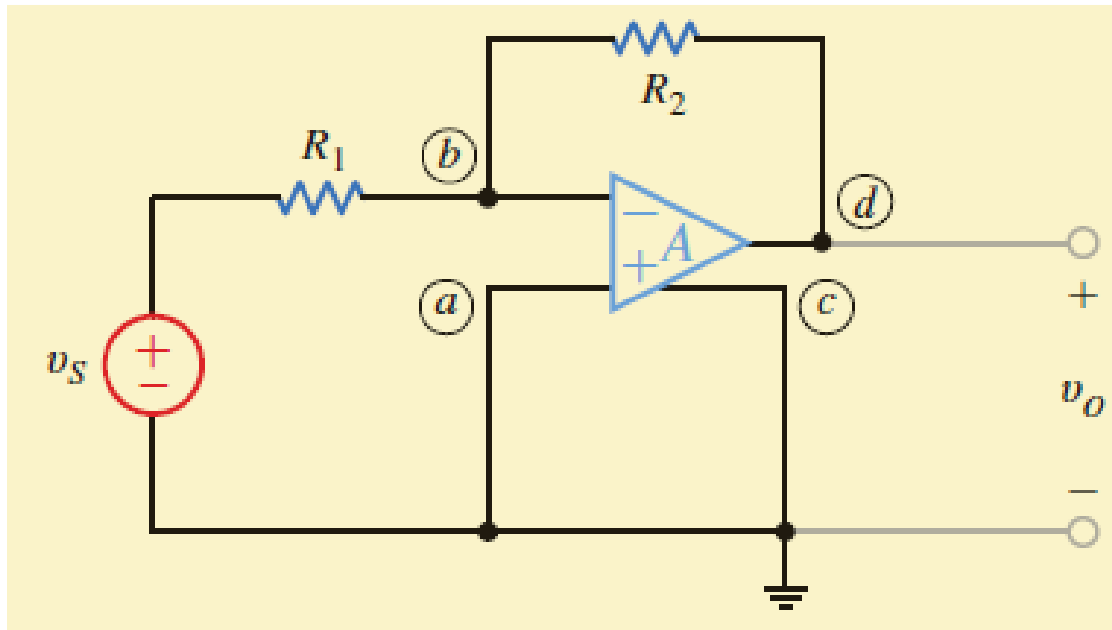
- Establish ideal op-amp conditions on the circuit schematic
  - 1)  $i_+ = i_- = 0$
  - 2)  $v_+ = v_-$
- Write nodal equations at the op-amp input terminals
- Solve for the input/output relationship

## Unity Gain Buffer - Revisited



## Example 4.2

Determine the gain  $v_o/v_s$  of the basic inverting op-amp configuration using both the non-ideal ( $R_i=\infty$ ,  $R_o=0$ ) and the ideal models.

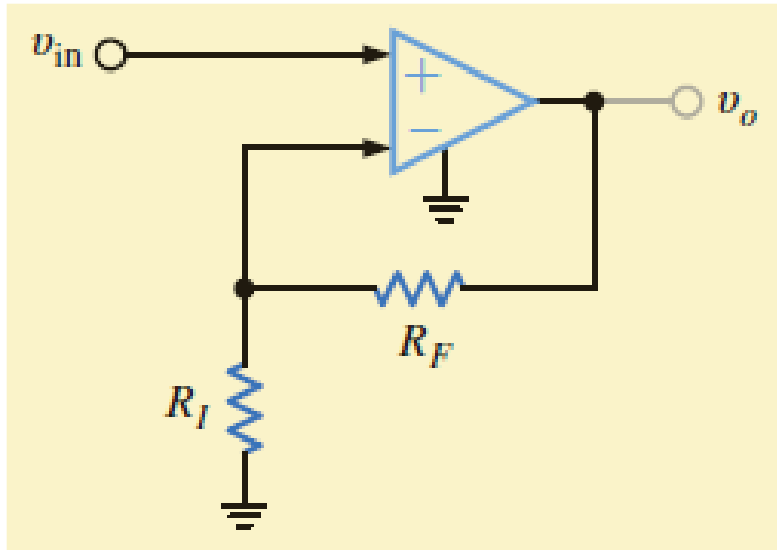


$$\frac{V_o}{V_s} = -\frac{R_2}{R_1} \left[ \frac{1}{1 + \frac{1}{A_0} \left( 1 + \frac{R_2}{R_1} \right)} \right]$$

$$\text{for } A_0 = \infty \rightarrow \frac{V_o}{V_s} \approx -\frac{R_2}{R_1}$$

## Example 4.3

Determine the gain  $v_o/v_s$  of the basic non-inverting op-amp configuration both the non-ideal ( $R_i=\infty$ ,  $R_o=0$ ) and the ideal models. Determine the expression for the gain error (GE).



$$\frac{V_o}{V_s} = \left[ 1 + \frac{R_F}{R_1} \right] \left[ \frac{1}{1 + \frac{1}{A_0} \left( 1 + \frac{R_F}{R_1} \right)} \right]$$

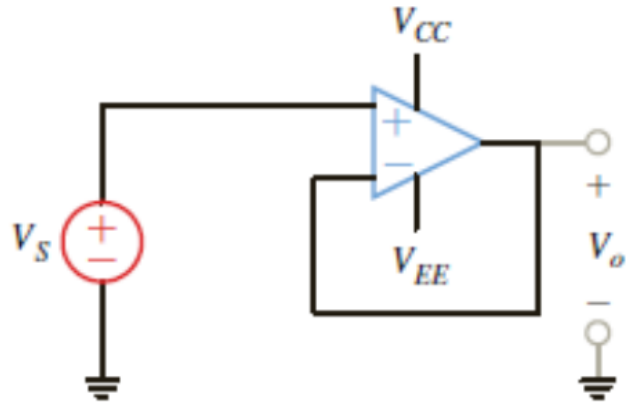
$$\text{for } A_0 = \infty \rightarrow \frac{V_o}{V_s} \approx 1 + \frac{R_F}{R_1}$$

$$GE = \left[ \frac{A_{v_{ideal}} - A_v}{A_{v_{ideal}}} \right] \cdot 100 = \left[ \frac{1}{1 + A_0 \left( \frac{R_1}{R_1 + R_F} \right)} \right] \cdot 100$$

$$\text{for } A_0 = \infty \rightarrow GE \approx 0$$

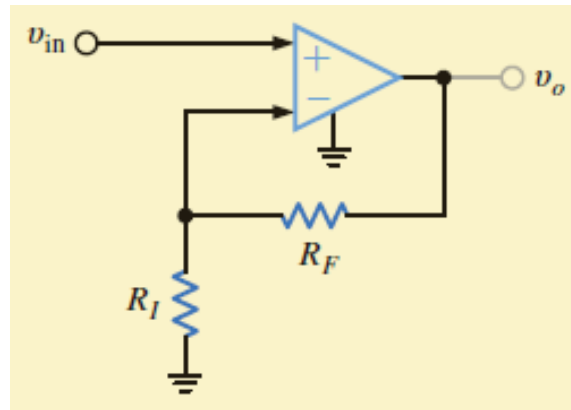
# Op-Amp Amplifiers

- Unity – Gain Amp.



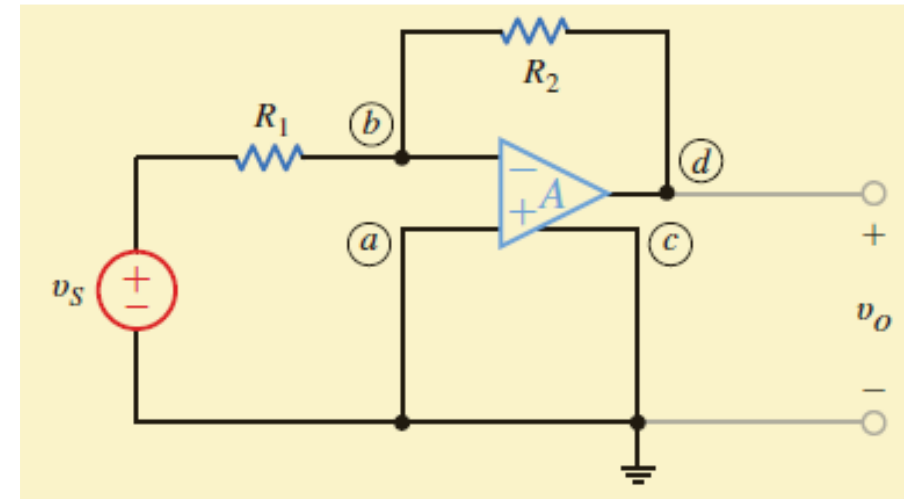
$$\frac{V_o}{V_s} \approx 1$$

- Non-Inverting Amp.



$$\frac{V_o}{V_s} \approx 1 + \frac{R_F}{R_I}$$

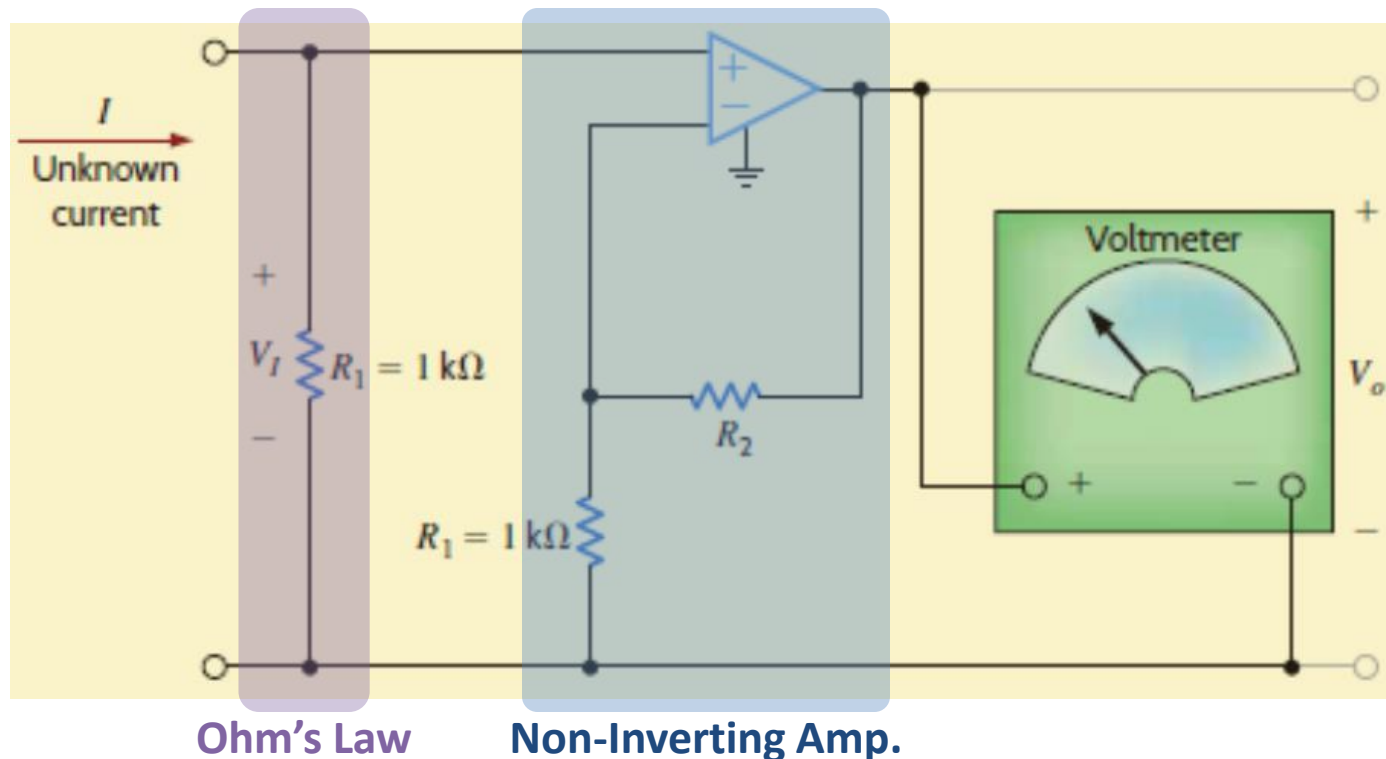
- Inverting Amp



$$\frac{V_o}{V_s} \approx -\frac{R_2}{R_1}$$

## Example 4.7

The provided circuit is an electronic ammeter. It operates as follows: the unknown current,  $I$ , through  $R_1$  produces a voltage,  $V_I$ .  $V_I$  is amplified by the op-amp to produce a voltage,  $V_o$ , which is proportional to  $I$ . The output voltage is measured with a simple voltmeter. Find the value of  $R_2$  such that 10V appears at  $V_o$  for each milliamp of unknown current.



$$\frac{V_o}{I} = \frac{10}{1\text{m}} = 10\text{ k}\Omega$$

$$V_o = \left[ 1 + \frac{R_2}{1\text{k}} \right] V_I$$

$$V_I = [1\text{k}] \cdot I$$

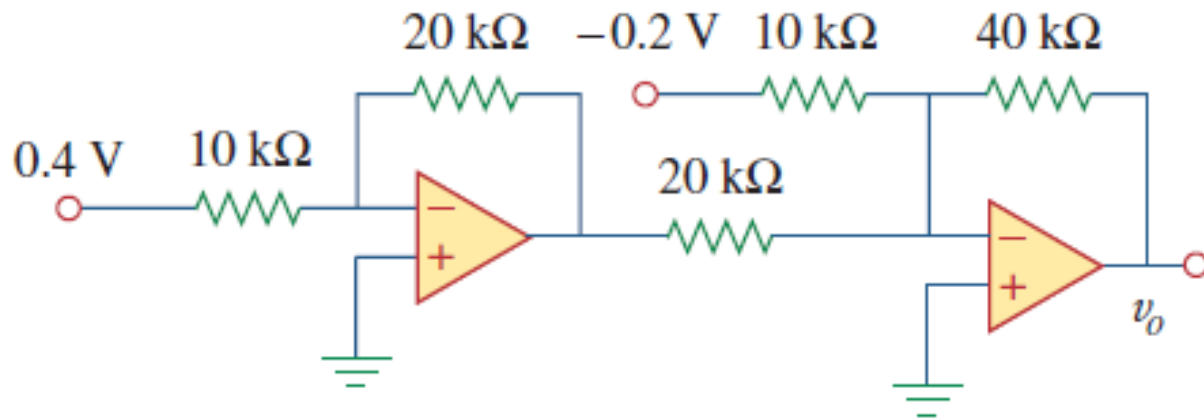
$$\therefore V_o = [1\text{k} + R_2] \cdot I$$

$$\hookrightarrow \frac{V_o}{I} = [1\text{k} + R_2] = 10\text{ k}\Omega$$

$$\therefore R_2 = 9\text{ k}\Omega$$

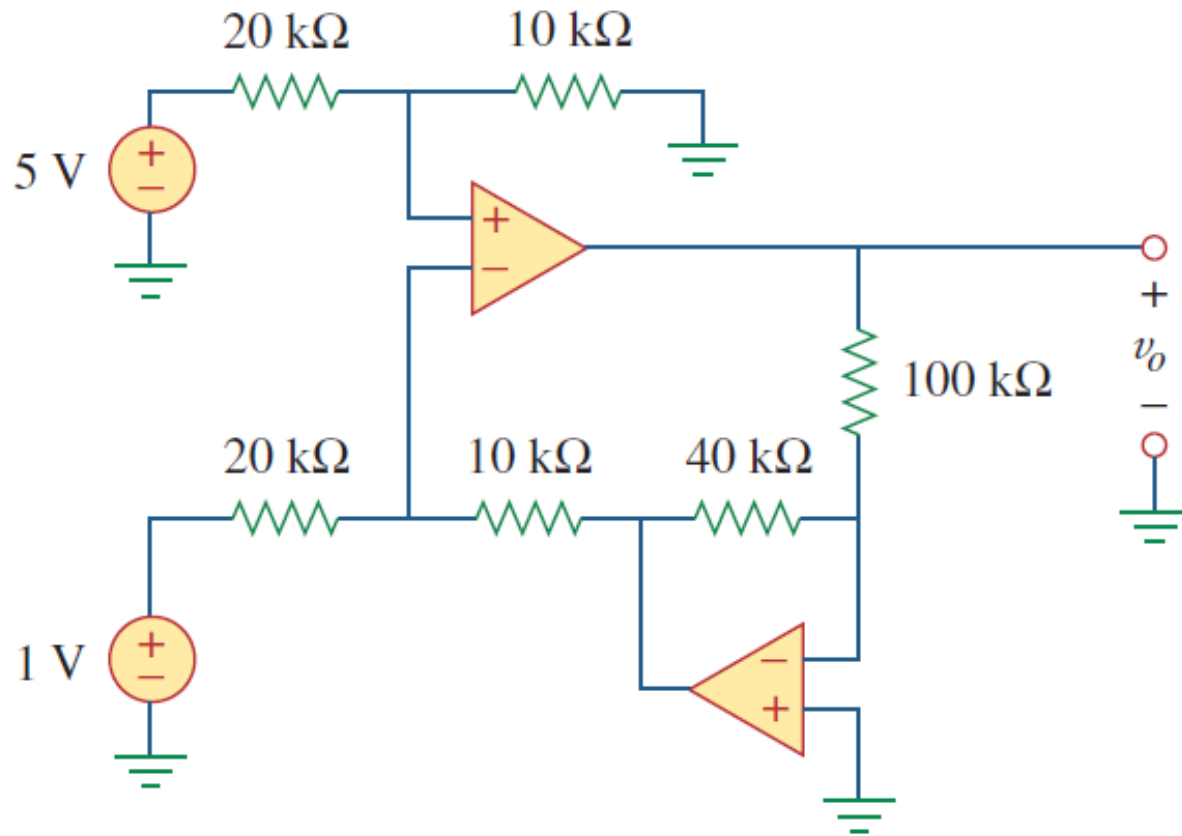
# Problem

Determine  $v_o$  in the circuit provided.



# Problem

Determine  $v_o$  in the circuit provided.



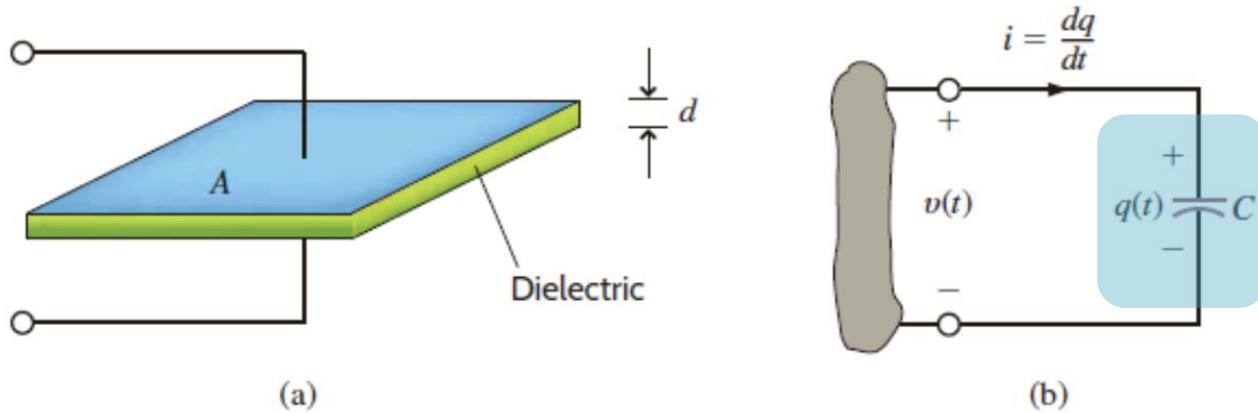
## Capacitance and Inductance → Chapter #5

- Inductor / Capacitor Model → voltages, currents, powers, stored energy
- Concept of Continuity → inductor: current, capacitor: voltage
- Circuit Analysis with DC Sources
- Equivalent Inductance /Capacitance → series & parallel



# Capacitor

... a circuit element that consists of two conducting surfaces separated by dielectric material



Simplified Capacitor

Symbol

Capacitance (C)  $\rightarrow C = \frac{\epsilon_0 A}{d}$  permittivity of free space

Unit  $\rightarrow$  farads (F) = coulombs per volts

Typical Capacitors



$$q = C \cdot v \quad i = C \cdot \frac{dv}{dt}$$

$$v(t) = v(t_0) + \frac{1}{C} \cdot \int_{t_0}^t i(x) dx$$

$$p(t) = C \cdot v(t) \frac{dv(t)}{dt}$$

$$w_c(t) = \frac{1}{2} C \cdot v(t)^2$$